

An Improved Method for Data Gathering in Wireless Sensor Networks Using Mobile Collector

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Abstract

In large-scale wireless sensor networks, a new mechanism for gathering data is proposed by incorporating mobility into the network. A mobile collector is used to gather data from the sensor nodes. A robot or vehicle with a powerful battery and transceiver can be used as a mobile collector. The lifetime of the sensor nodes in wireless sensor is maximized. This is achieved by minimizing the length of each data-gathering tour. This method improves scalability and ensures that energy consumption among sensors is uniform.

Keywords

Data gathering, mobile data collector, movement planning, wireless sensor networks

I. Introduction

Wireless Sensor Networks are used in a large variety of applications. Sensor nodes are usually deployed in large scale networks without prior pre-configuration. The energy of sensor nodes is used for two tasks, sensing the environment and uploading data to the data sink. Energy utilization of sensors during sensing is stable, but the data-gathering mechanism is the significant factor that determines network lifetime. The data packets are aggregated at a point and then sent to the data sink. Sensor nodes that are close to the sink lose more energy as they have to relay the sensed data to the data sink. If these sensor nodes fail, then the other nodes cannot reach the data sink. So for large-scale sensor networks it is inefficient to have a single static data sink to gather data from all the sensors. A mobile collector can act as data transporter that connects disconnected networks. The path of the moving mobile collector acts as virtual links connecting separated sub-networks. The assumption in this paper is that the data rate is less and that the data is usually delay insensitive. The mobile collector starts its tour from the data sink and traverses through the field and collects data. The path of the mobile collector can be well-planned to improve the lifetime of the network.

II. Related Works

In hierarchical networks, clusters are formed and form the lower layer of the network. At higher levels, cluster heads collect sensing data from sensors and forward the data to the data sink. Scalability and energy-efficiency is usually improved for such two-layered hybrid networks. Cluster head is not only used to aggregate data but also to make scheduling and routing decisions. Cluster heads fail faster than other nodes. To avoid the problem of cluster heads failing faster than other nodes, cluster heads can be rotated. Each node must have the capacity to be chosen as cluster head, as any node can be chosen to be the cluster head. Changing cluster heads frequently results in high overhead due to high information exchange among sensor nodes. This disadvantage can be avoided by using heterogeneous networks. The network consists of a few resource-rich nodes and many resource-limited nodes. The resource-rich nodes act as cluster heads, and the network is organized into a two-layered hierarchical network. Sensor nodes can be attached to animals [1], [2]. Radio-tagged zebras and whales were used as mobile nodes to sense data in the wild environment. The animals wander in the environment and they exchange data only when they move close to each other.

The mobility of the animals is unpredictable and so the delay is not predictable. Sensor nodes can be placed in public transportation vehicles such as trains and buses which move along fixed paths, but it is very restrictive because it depends on the existing routes and schedules of trains and buses. In [3], [4] a number of mobile observers, called data mules, collect data from the sensors directly when they are in close range, temporarily store the data, and send the collected data to wired access points. The movement of mules is modeled as 2-D random walk. In [5], mobile observers move along the sensing field along straight lines that are parallel and fetch data from sensors. To decrease latency, data sent by some sensors are allowed to be passed to other sensors to reach the mobile observers. This scheme works well in a uniformly distributed large-scale sensor network. But, in practice, data mules may not always be able to move along straight lines, for example, obstacles or barriers may block the moving paths of data mules. When not all sensors are connected and only a small number of data mules are available, the data mules may not cover all the sensor nodes in the network if they only move along straight lines. In [6], the tradeoff between energy-saving and data-gathering latency in mobile data gathering was analyzed by exploring a balance between the relay hop count of the local data aggregation and the moving tour length of the mobile collector. Two algorithms were proposed, in which a subset of sensors is selected as polling points to store the locally aggregated data and then to upload the data to the mobile collector when it arrives. Meanwhile, when sensors are associated with these polling points, it is assured that any packet relay is limited within a given number of hops. In [7], a heterogeneous and hierarchical architecture for large scale monitoring was proposed for the deployment of WSNs with mobile sinks, where the sensors transmit their sensing data to the gateway nodes for storage temporarily through multi-hop relays and the mobile sinks travel along pre-determined paths to collect data from close by gateway nodes. In this data-gathering model, the capacitated minimum forest problem was studied, and approximate algorithms were devised for instances where all gateways have uniform and arbitrary capacities, respectively.

So based on the above discussions it is clear that to be suitable for various network topologies it is essential to have a mechanism where the data collection is done by a mobile data collector that moves along the field and collects data.

III. Terminology

The M-collector can visit the transmission range of every static sensor, such that sensing data can be collected by a single-hop communication without any relay.

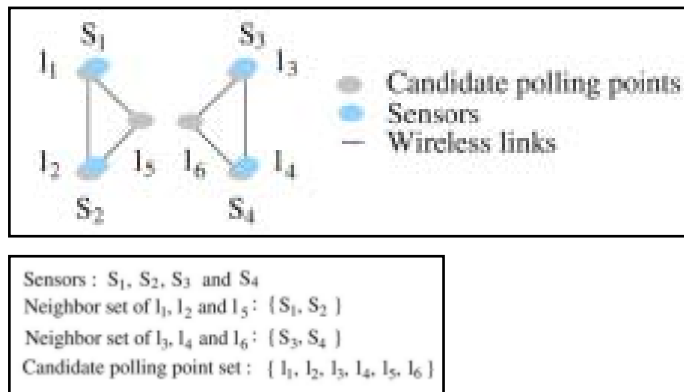


Fig. 1: Examples of Polling Points, Neighbor Sets, and Candidate Polling Point Set

1. Polling Points – Polling points are the positions where the M-collector polls sensors.
2. Neighbor Set – The neighbor set of a point in the plane is the set of sensors that can upload data to the M-collector directly without relay, if the M-collector polls sensors at this point.
3. Candidate Polling Point Set – Since it is only possible to test a certain number of points and their corresponding neighbor sets in the plane, and we must select polling points from this set of points, which we refer to as the candidate polling point set.

While an M-collector is moving, it can poll nearby sensors one by one to collect the data. On receiving the polling message, a sensor simply uploads the data to the M-collector directly without relay. M-Collector polls sensors from polling points. When an M-collector moves to a polling point, it polls nearby sensors with the same transmission power as sensors, such that sensors that receive the polling messages can also upload packets to the M-collector in a single hop. After collecting data from sensors around the polling point, the M-collector moves directly to the next polling point in the tour.

Thus, each data-gathering tour of an M-collector consists of a number of polling points and the straight line segments connecting them. Thus, the problem of devising the optimal tour can be considered as the problem of determining the locations of polling points and the order to visit them. Before an M-collector starts a data-gathering tour, it needs to determine the positions of all polling points and which sensors it can poll at each polling point. Since the M-collector can only collect data at polling points, each sensor must be in the neighbor set of at least one polling point to upload data without relay. In other words, the union of all neighbor sets of all polling points must cover all the sensors in the field.

In some existing work, the transmission range of an omnidirectional antenna was simply assumed to be a disk-shaped area around the transceiver. Based on this assumption, given a point in the plane, the neighbor set of this point consists of all sensors within the disk-shaped area around this point. However, due to the uncertainties of a wireless environment, such as signal fading, reflection from walls and obstacles, and interference, it is hard to determine the boundary of the transmission range without actually measuring [8], [9]. Therefore, in practice, it is almost impossible to obtain the neighbor set of an unknown point, unless the M-collector

has moved to this point and tested wireless links between it and its one-hop neighbors, or a sensor has been placed at this point and acquired all its one-hop neighbors during the neighbor discovering phase.

In fig. 1, we illustrate the polling points, neighbor set, and candidate polling point set by an example, where there are four sensors $s_1, s_2, s_3,$ and s_4 deployed at positions $l_1, l_2, l_3,$ and $l_4,$ respectively. During the exploration phase, the M-collector discovers the neighbor sets of l_5 and l_6 by broadcasting “Hello” messages at these points. Thus, l_5 and l_6 can be added into the candidate polling point set. Since sensors $s_1, s_2, s_3,$ and s_4 also report their one-hop neighbors to the M-collector by sending “ACK” to the M-collector, $l_1, l_2, l_3,$ and l_4 also become candidate polling points. After the discovering phase, we assume that each sensor has knowledge and information of all its one-hop neighbors and the M-collector acquires the information about the neighbor set of each polling point.

IV. Single Hop Data-Gathering Problem

Here, we consider the problem of determining the shortest moving tour of an M-collector that visits the transmission range of each sensor. For the sake of simplicity, we assume that M-collectors move at a constant speed and ignore the time for making turns and data transmission, such that we can roughly estimate the time of a data-gathering tour by the tour length. By moving through the shortest tour, data can be collected in the shortest time such that the users will have the most up-to-date data. This is called as the single-hop data-gathering problem (SHDGP).

The SHDGP can be formalized as follows, after the candidate polling point set is obtained. Given a set of sensor nodes $S = \{s_1, s_2, \dots, s_{n_s}\},$ a set of candidate polling point set $L = \{l_0, l_1, l_2, \dots, l_{n_l}\},$ where l_0 denotes the starting and the ending point of the tour, and the neighbor set $nb(l_i)$ of each candidate polling point $l_i (i = 1, 2, \dots, n_l)$ find a set of polling points and determine the sequence to visit them, such that every sensor in S belongs to the neighbor set of at least one polling point, and the total length of line segments connecting all polling points is minimized. We define a complete directed graph $G = (L, A)$ and associate a nonnegative cost c_{ij} with each arc $a_{ij} \in A,$ where c_{ij} is equal to the cost of the distance between the candidate polling points l_i and $l_j.$

The SHDGP can be formulated as an MIP. In this formulation, the objective function (1) minimizes the total cost (distance) of the data-gathering tour. x_{ij} is an indicator variable denoting whether arc a_{ij} from candidate polling points l_i to l_j belongs to the optimal tour. Binary variable I_i indicates whether candidate polling point l_i is on the optimal tour. Constraints (2) and (3) make sure of the fact that every node in the tour must have one arc pointing toward it and the other arc pointing away from it. Constraint (4) enforces that every sensor must be in the neighbor set of at least one polling point belonging to the tour, such that every sensor can communicate with the M-collector directly. Constraints (5)–(7) exclude the solutions with sub-tours, which is similar to that in [12] proposed by Gavish for the capacitated minimal directed tree problem. The Constraint (5) restricts that flow can only take place in an arc if it is on the tour. Constraint (6) specifies that the number of units of flow entering vertex l_0 is equal to the number of polling points in the tour. Finally, constraint (7) enforces that one unit flows out of each of the other points in the tour. In a way similar to that in [12], it can be shown that constraints (5)–(7) can prohibit a tour that does not include the starting and ending point $l_0.$

$$\begin{aligned} \text{Minimize} \quad & \sum_{i,j \in L, i \neq j} c_{ij} x_{ij} & (1) \\ \text{Subject to} \quad & \sum_{i \in L, i \neq j} x_{ij} = I_j \quad \forall j \in L & (2) \\ & \sum_{j \in L, j \neq i} x_{ij} = I_i \quad \forall i \in L & (3) \\ & \sum_{j \in nb(l_i)} I_i \geq 1 \quad \forall j \in S & (4) \\ & y_{ij} \leq |L| x_{ij} \quad \forall i, j \in L & (5) \\ & \sum_{j \in L \setminus \{l_0\}} y_{jl_0} = \sum_{j \in L \setminus \{l_0\}} I_j & (6) \\ & \sum_i y_{ji} - \sum_k y_{kj} = I_j \quad \forall j \in L \setminus \{l_0\} & (7) \end{aligned}$$

where

$$x_{ij} = \begin{cases} 1, & \text{if data-gathering tour contains arc } a_{ij} \\ 0, & \text{otherwise} \end{cases}$$

$$I_i = \begin{cases} 1, & \text{if data-gathering tour contains} \\ & \text{candidate polling point } l_i \\ 0, & \text{otherwise} \end{cases}$$

y_{ij} : flow value from l_i to l_j on arc a_{ij} .

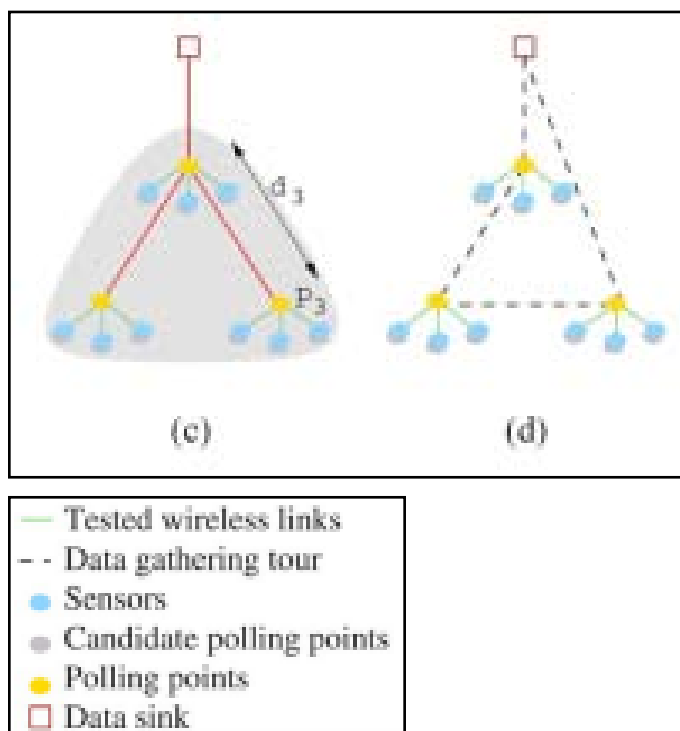
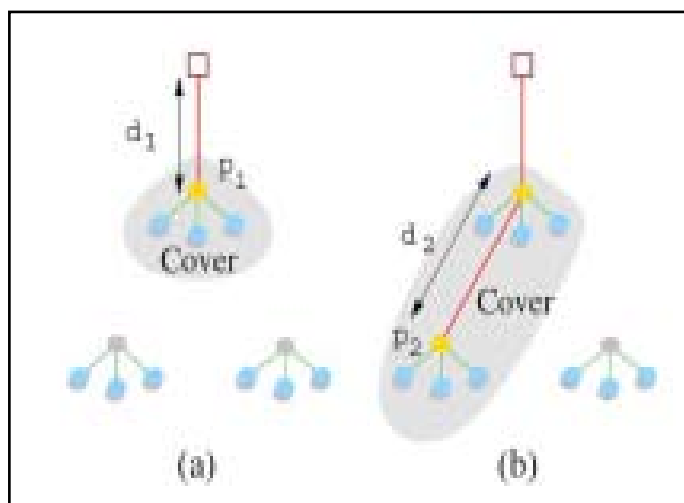


Fig. 2: Spanning tree covering algorithm. (a) Neighbor set of p_1 is covered with the average cost $d_1/3$. (b) Neighbor set of p_1 is covered with the average cost $d_2/3$. (c) Neighbor set of p_1 is covered with the average cost $d_3/3$. (d) Data-gathering tour obtained by the spanning tree covering algorithm.

V. An Algorithm for Single Hop Data- Gathering Problem

It is interesting to compare the SHDGP with a similar problem, i.e., the covering salesman problem (CSP). The problem that is considered is obtaining the shortest tour of a subset of all cities such that every city not on the tour is within some predetermined distance $dist$ of a city that is on the tour. If the transmission range of each sensor could be modeled as a disk-shaped area, the SHDGP can be simplified to the CSP by setting $dist$ in the CSP equal to the transmission range of sensors. Note that if the transmission range of each sensor can be modeled as a unit circle, the covering line algorithm for the CSP could also approximate the optimal tour for the SHDGP. However, as discussed earlier, in practice, transmission ranges of sensors are far from unit circles and are difficult to estimate.



We must choose a subset of points from the candidate polling pointset, each of which corresponds to a neighbor set of sensors. At each stage of the algorithm, a neighbor set of sensors can be covered when its corresponding candidate polling point is chosen as a polling point in the data-gathering tour. The algorithm will terminate after all sensors are covered. The algorithm tries to cover each uncovered neighbor set of sensors with the minimum average cost at each stage. In Fig. 3, an example of the spanning tree covering algorithm is illustrated. In the Fig. 2, starting from the data sink, the M-collector chooses p_1 as the first polling point, since compared with other candidate polling points, the uncovered sensors in the neighbor set of p_1 can be covered with the smallest average cost $d_1/3$. Next, p_2 and p_3 will be picked as the second and third polling points with the average cost $d_2/3$ and $d_3/3$, respectively. After that, the shortest tour can be approximated on all chosen polling points and the data sink, as shown in Fig. 3(d).

VI. Simulation Results

It has been shown by simulation that the throughput and energy-utilized using M-Collector is better than without one [11] as depicted in Fig. 3 and Fig. 4.

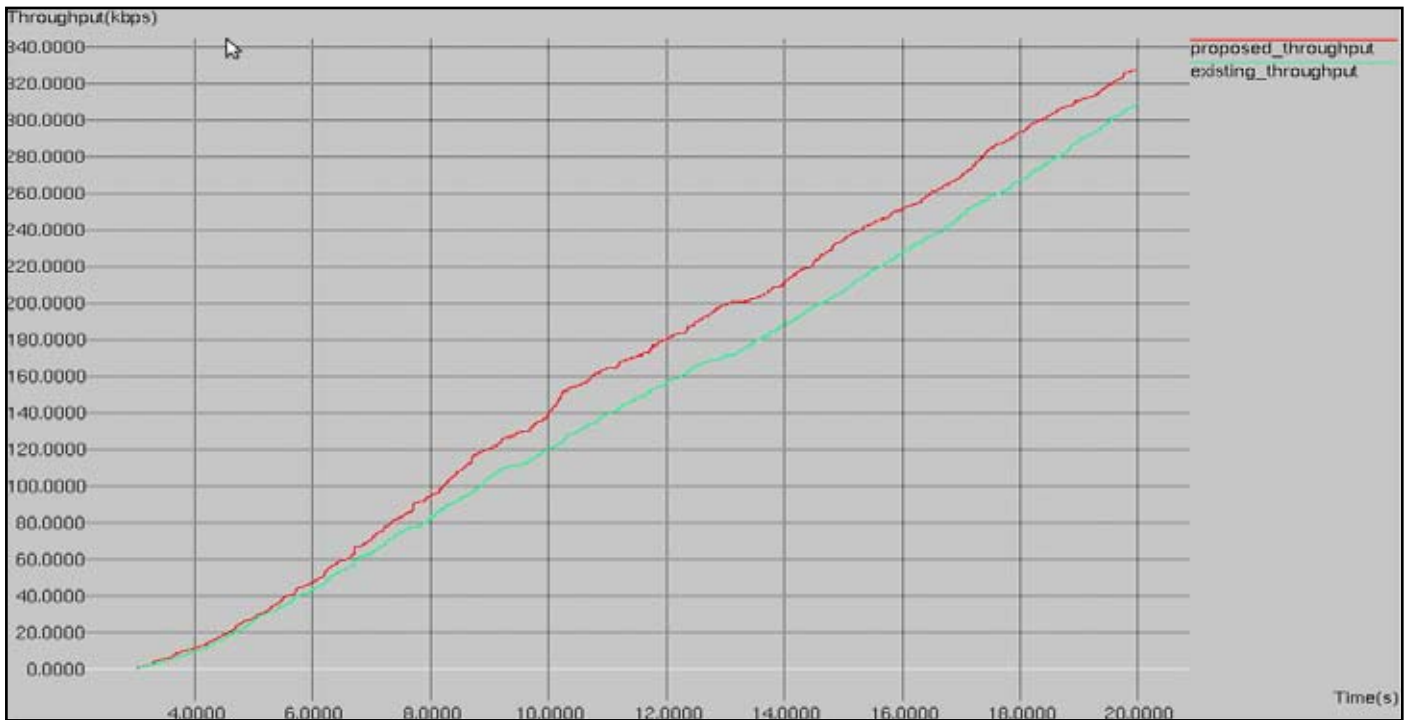


Fig. 3: Comparison of throughput in existing and proposed systems

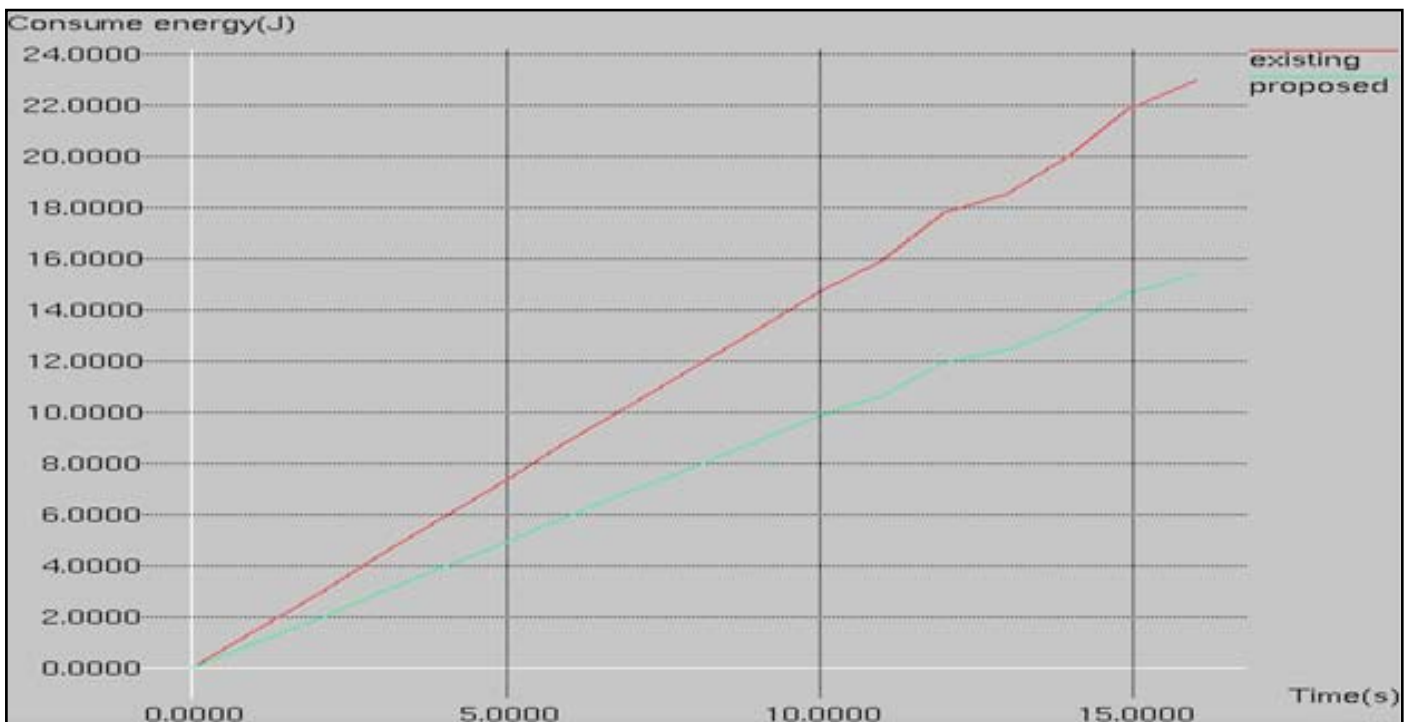


Fig. 4: Comparison of energy consumed in existing and proposed systems

VII. Conclusion and Future Work

In this paper we have discussed the techniques used to effectively collect data in large scale networks by introducing mobility into the network. In order to satisfy time constraints, we can improve this mechanism by using multiple mobile collectors, by letting each of them move through a shorter sub-tour. In [10] it has been assumed that the data collected is not critical, but we also have to consider the case where emergency data has to be transmitted. The emergency data can be transmitted directly to the data sink, instead of waiting for the M-Collector to collect the data.

References

- [1] P. Juang, H. Oki, Y. Wang, M. Martonosi, L. Peh, and D. Rubenstein, "Energy-efficient computing for wildlife tracking: Design tradeoffs and early experiences with ZebraNet," in *Proc. ASPLOS*, 2002, pp. 96–107.
- [2] T. Small and Z. Haas, "The shared wireless infostation model—A new adhoc networking paradigm (or where there is a whale, there is a way)," in *Proc. ACM MobiHoc*, 2003, pp. 233–244.
- [3] R. C. Shah, S. Roy, S. Jain, and W. Brunette, "Data MULEs: Modeling a three-tier architecture for sparse sensor networks," in *Proc. IEEE Workshop Sens. Netw. Protocols*

- Appl.*, 2003, pp. 30–41.
- [4] S. Jain, R. C. Shah, W. Brunette, G. Borriello, and S. Roy, "Exploiting mobility for energy efficient data collection in wireless sensor networks". Norwell, MA: Kluwer, 2005.
- [5] D. Jea, A. A. Somasundara, and M. B. Srivastava, "Multiple controlled mobile elements (data mules) for data collection in sensor networks," in *Proc. IEEE/ACM Int. Conf. DCOSS*, Jun. 2005, pp. 244–257.
- [6] M. Zhao and Y. Yang, "Bounded relay hop mobile data gathering in wireless sensor networks," *IEEE Trans. Comput.*, vol. 61, no. 2, pp. 265–277, Feb. 2012.
- [7] W. Liang, P. Schweitzer, and Z. Xu, "Approximation algorithms for capacitated minimum forest problems in wireless sensor networks with a mobile sink," *IEEE Trans. Comput.*, to be published.
- [8] G. Zhou, T. He, J. Stankovic, and T. Abdelzaher, "RID: Radio interference detection in wireless sensor networks," in *Proc. IEEE INFOCOM*, 2005, pp. 891–901.
- [9] G. Zhou, T. He, and J. Stankovic, "Impact of radio irregularity on wireless sensor networks," in *Proc. 2nd Int. Conf. MobiSys*, Jun. 2004, pp. 125–138.
- [10] M. Ma, Y. Yang and M. Zhao, "Tour Planning for Mobile Data-Gathering Mechanisms in Wireless Sensor Networks", *IEEE TRANSACTIONS ON VEHICULAR TECHNOLOGY*, VOL. 62, NO. 4, MAY 2013.
- [11] B. Manimekala and M. Kayalvizhi, "A Data Transfer in Wireless Sensor Networks Using AODV Protocol", *IJCSI International Journal of Computer Science Issues*, Vol. 9, Issue 1, No 1, January 2012
- [12] B. Gavish, "Formulations and algorithms for the capacitated minimal directed tree problem," *J. ACM*, vol. 30, no. 1, pp. 118–132, Jan. 1983.